

THE ART OF NATHAN SELIKOFF United Ants
Aesthetic Explorations of Algorithmic Space
www.nathanselikoff.com
All images remain copyright ©2009 by Nathan Selikoff or the original Copyright owners



## A SOCIETY OF STICKPEOPLE

 REAL-TIME INTERACTIVE SOFTWARE DEMO



BACKGROUND<br>Logistic map \& Mandlebrot set



## BACKGROUND

Logistic map \& Mandlebrot set


BACKGROUND
Logistic map \& Mandlebrot set


## BACKGROUND

## Pendula



BACKGROUND
Pendula


BACKGROUND
Pendula



## BACKGROUND

Lorenz


## BACKGROUND

Lorenz


## BACKGROUND

## Lorenz





## AEXPLORATION

Real-time Interactive Software Demo



EXPLORING \& CHARACTERIZING THE SYSTEM
Lyapunov Exponent, Faces of Chaos


EXPLORING \& CHARACTERIZING THE SYSTEM
Lyapunov Exponent, Faces of Chaos


EXPLORING \& CHARACTERIZING THE SYSTEM
Lyapunov Exponent, Faces of Chaos


EXPLORING \& CHARACTERIZING THE SYSTEM
Lyapunov Exponent, Faces of Chaos


EXPLORING \& CHARACTERIZING THE SYSTEM
Lyapunov Exponent, Faces of Chaos


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


## DIGITAL CHRONOPHOTOGRAPHY

A Society of Stickpeople


EXPLORING FORM
Volumetric Rendering Techniques


EXPLORING FORM
Volumetric Rendering Techniques


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS


FILLING SPACE \& QUESTIONING RELATIONSHIPS

## GOING BACKWARDS

## GOING BACKWARDS

- Original Equations
- $x^{\prime}=\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)$
- $y^{\prime}=\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)$


## GOING BACKWARDS

- Original Equations
- $x^{\prime}=\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)$
- $y^{\prime}=\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)$
- One Recursion
- $x^{\prime}=\sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} b\right)+c^{*} \sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} b\right)$
- $y^{\prime}=\sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} a\right)+d^{*} \sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} a\right)$


## GOING BACKWARDS

- Original Equations
- $x^{\prime}=\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)$
- $y^{\prime}=\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)$
- One Recursion
- $x^{\prime}=\sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} b\right)+c^{*} \sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} b\right)$
- $y^{\prime}=\sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} a\right)+d^{*} \sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} a\right)$
- Two Recursions
- $x^{\prime}=\sin \left(\left(\sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} a\right)+d^{*} \sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} a\right)\right)^{*} b\right)$
$+c^{*} \sin \left(\left(\sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} b\right)+c^{*} \sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} b\right)\right)^{*} b\right)$
- $y^{\prime}=\sin \left(\left(\sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} b\right)+c^{*} \sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} b\right)\right)^{*} a\right)$
$+d^{*} \sin \left(\left(\sin \left(\left(\sin \left(y^{*} b\right)+c^{*} \sin \left(x^{*} b\right)\right)^{*} a\right)+d^{*} \sin \left(\left(\sin \left(x^{*} a\right)+d^{*} \sin \left(y^{*} a\right)\right)^{*} a\right)\right)^{*} a\right)$


TEST PATTERN

## SOURCES

- http://www.nathanselikoff.com
- http://bugman123.com/Fractals/Fractals.html
- http://www.magnetnerd.com/Neodymium\ Magnets/art.htm
- http://bulbphotography.com/pendulum/gallery.php
- http:/ / math-art.net/2007/12/02/lorenz-attractor-a-3d-render/
- http://www.reinhardkargl.com/iBlog/iBlog2008.html
- http:/ / talklikeaphysicist.com/2008/lorenz-attractor/

